## Applications of Stacks



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## Postfix to Prefix Conversion

## Consider Postfix Expression: $\quad A B C^{\wedge}+D^{* E 5}{ }^{\wedge}+$

Form the groups of tokens from left to right as follows:


Move the operators in each group in front of operands

$$
+\mathrm{A}^{\wedge} \mathrm{BC} * \mathrm{D}+\wedge \underline{\mathrm{E}} 5
$$

Now solve according to the priority

$$
{ }^{*}+\mathrm{A}^{\wedge} \mathrm{BCD}+\wedge \mathrm{E} 5
$$

We get the result as follows
$+^{*}+A^{\wedge} B C D^{\wedge} E 5$

## Prefix to Infix Conversion

## Consider Prefix Expression: $\quad+^{*}+\mathrm{A}^{\wedge} \mathrm{BCD}{ }^{\wedge} \mathrm{E} 5$

Form the groups of tokens from right to left as follows:


Move the operators in each group in between the operands And we get the result as follows:

## $\left(A+B^{\wedge} C\right)^{*} D+E^{\wedge} 5$

## Recursion:

- When a function is defined in terms of itself, then it is called a recursion.
- A function calling itself
- Its a fundamental concept in Mathematics
- For example, calculation of a factorial involves the recursive method.
- Factorial(n)=1
$n$ *fact( $n-1$ ) otherwise


## Recursion (Continue)

- Function factorial( $n$ ) if defined in terms of itself for $n>0$
- Value of the function at $n=0$ is 1 and it is called as the base
- Recursion terminates on reaching the base
- This is shown in the following example:------
factorial(5)=5*factorial(5-1)


[^0]
## C program to find the factorial of any number input through the keyboard.

## Output Screen for <br> Factorial program



## Thank you!


[^0]:    * Recursion expands when $n>0$
    * Its starts winding up on hitting the base

