## DEPT IT

## Course Code \& Course Name : 19ITC11 \& Design and Analysis of Algorithm <br> Year/Sem/Sec <br> : II/IV/-

| S.No. | Term | Notation (Symbol) | Concept / Definition / Meaning / Units / Equation / Expression | Units |
| :---: | :---: | :---: | :---: | :---: |
| Unit-I : Introduction |  |  |  |  |
| 1. | Algorithm |  | Sequence of instructions for solving a problem |  |
| 2. | pseudo code |  | Mixture of a natural language and programming language |  |
| 3. | Time efficiency |  | How much amount of time needed to execute |  |
| 4. | Space efficiency |  | How much amount of space needed to execute |  |
| 5. | Exact Algorithm |  | Solving the problem exactly |  |
| 6. | Approximate Algorithm |  | solving it approximately |  |
| 7. | sorting problem |  | Rearrange the items of a given list in non decreasing order |  |
| 8. | searching problem |  | Finding a given value, |  |
| 9. | Analysis Framework |  | 1.Measuring an Input's Size <br> 2. Units for Measuring Running Time <br> 3. Orders of Growth <br> 4. Worst-Case, Best-Case, and AverageCase Efficiencies <br> 5. Recapitulation of the Analysis Framework |  |
| 10. | O-notation |  | $\mathrm{t}(\mathrm{n}) \leq \mathrm{cg}(\mathrm{n}) \quad$ for all $\mathrm{n} \geq \mathrm{n} 0$. |  |
| 11. | $\Omega$-notation |  | $t(n) \geq \operatorname{cg}(n)$ for all $n \geq n_{0}$. |  |
| 12. | e -notation |  | $c_{2} g(n) \leq t(n) \leq c_{1} g(n) \quad$ for all $n \geq n_{0}$. |  |
| 13. | Asymptotic Notations |  | - O-notation <br> - Omagha -notation <br> - $\Theta$-notation |  |


| 14. | Fundamental Data Structures | - Linear Data Structures <br> - Graphs <br> - Trees |
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| 15. | Vertices | a collection of points |
| 16. | Edges | A collection of points connected by line segments |
| 17. | Characteristics of Algorithm | Simplicity, Time consuming, easy to understand, generality. |
| 18. | Methods specifying for an algorithm | Flow chart, Natural language, Program |
| 19. | Understanding the Problem | It is the first step in solving the problem |
| 20. | The main measure for efficiency algorithm are | Time and space |
| 21. | Algorithmic analysis count | The number of arithmetic and the operations that are required to run the program |
| 22. | The concept of order Big O is important because | It can be used to decide the best algorithm that solves a given problem |
| 23. | Non-recursive function | Does not references itself |
| 24. | Recursive function | Function which calls itself again and again |
| 25. | What are the case does exist in complexity theory | Best case,Worst case,Average case |
| Unit-II : Brute force and Divide-and-Conquer |  |  |
| 26. | Brute force method | - Straight forward approach <br> - Method has "just do it" approach <br> - Useful for solving smaller program |
| 27. | Applications of bruteforce method | Selection sort, bubble sort, sequential sort, Assignment problem |
| 28. | Closest pair problem | Find the closest point in set of n points |
| 29. | convex | A set of points in the plane |
| 30. | Convex-hull | The convex hull of a set $S$ of points is the smallest convex set containing $S$ |
| 31. | Exhaustive search | It requires searching all the possible solution for the best solution |


| 32. | Exhaustive searchApplications |  | Travelling Salesman, Knapsack problem, Assignment problem |  |
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| 33. | Travelling Sales man Problem | TSP | The problem is to find the shortest possible route. |  |
| 34. | Hamiltonian circuit |  | A cycle that passes through all the vertices of the graph exactly once. |  |
| 35. | Eight-queens problem |  | Classic puzzle of placing eight queens on an $8 \times 8$ chessboard |  |
| 36. | Vertices represents in TSP |  | cities |  |
| 37. | Edges represents in TSP |  | Weight or distance |  |
| 38. | Divide and Conquer method |  | Smaller sub problems, sub problems are solved recursively |  |
| 39. | Applications of divide and conquer |  | Binary search, quick sort, merge sort, multiplication of large integers |  |
| 40. | Searching types |  | Linear, binary |  |
| 41. | Linear search |  | To find a particular value and not in sorted order |  |
| 42. | Application of Graphs: |  | Physics and Chemistry, Mathematics, Social Science |  |
| 43. | Mid value in binary search |  | mid $=($ low + high $) / 2$, low- $0^{\text {th }}$ value and high-last value |  |
| 44. | Merge sort |  | Merge Sort is a sorting algorithm. Merge Sort is a divide and conquer algorithm. |  |
| 45. | Quick sort |  | select an element as pivot, partition the array around pivot and recurse for subarrays on left and right of pivot. |  |
| 46. | Strassen algorithm |  | It is faster than the standard matrix multiplication algorithm |  |
| 47. | Assignment problem |  | Assign a number of jobs to an equal number of machines so as to minimize the total assignment cost for execution of all the jobs |  |
| 48. | Binary search working |  | Binary search works by dividing the array into 2 halves around the middle element |  |


| 49. | Graph | Consists of a set of vertices, and set of edges |  |
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| 50. | Graph types | BFS,DFS |  |
| Unit-III : Dynamic Programming and Greedy Technique |  |  |  |
| 51. | Dynamic programming | Reduce the time complexity, provide optimal solution |  |
| 52. | Advantages of dynamic programming | Computing Fibonacci numbers, completing binomial coefficient |  |
| 53. | Applications of dynamic programming | Find shortest path between all pair of vertices |  |
| 54. | Warshalls algorithm | Solve all pair shortest path problem |  |
| 55. | Floyds algorithm | Find optimal solution |  |
| 56. | Greedy technique used in | Minimum spanning tree, shortest path problem |  |
| 57. | Applications for greedy technique | Huffman coding is a lossless data compression algorithm. |  |
| 58. | Huffman Algorithm | which assigns codewords of different lengths to different symbols, |  |
| 59. | Variable-length encoding | 8 bits |  |
| 60. | Huffman code | A Huffman code is an optimal prefix tree variable-length encoding technique which assign bit strings to characters based on their frequency in a given text. |  |
| 61. | Minimum spanning tree | Divide and conquer |  |
| 62. | Which strategy merge sort using | $\mathrm{O}(\mathrm{n} 2)$ |  |
| 63. | Complexity of merge sort algorithm | Pivot element |  |
| 64. | The running time of quick sort depends heavily on the selection of | $\mathrm{O}(\mathrm{n} 2)$ |  |
| 65. | The worst-case time complexity of Quick Sort | $\mathrm{O}(\mathrm{n} \log \mathrm{n})$ |  |
| 66. | The worst-case time complexity of Merge | Bubble sort |  |


|  | Sort |  |  |  |
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| 67. | Which of the sorting procedures is the slowest |  | Counting the maximum memory needed by the algorithm |  |
| 68. | The space factor when determining the efficiency of algorithm is measured by |  | Insertion sort |  |
| 69. | The way a card game player arranges his cards as he picks them one by one can be compared to |  | Solve a problem by using top down approach |  |
| 70. | Memory function |  | provides the smallest possible search time |  |
| 71. | optimal binary search tree | OBST | bottom-up, and solving all the subproblems only once. |  |
| 72. | Memory function |  | has the minimum sum of weights among all the trees that can be formed from the graph. |  |
| 73. | Prim's algorithm |  | Prim's algorithm is a greedy and efficient technique, which is used to find the minimum spanning the tree of a weighted linked graph. |  |
| 74. | Time complexity of the Huffman algorithm |  | Reduce the time complexity, provide optimal solution |  |
| 75. | Memory function |  | has the minimum sum of weights among all the trees that can be formed from the graph. |  |
| Unit-IV : Iterative Improvement and Limitation of algorithm |  |  |  |  |
| 76. | Iterative improvement |  | This techniques build an optimal solution by iterative refinement |  |
| 77. | Linear programming |  | To optimize linear function of several variables |  |
| 78. | Bipartite Graph |  | No two edges share an end point |  |
| 79. | maximum matching |  | maximum matching is <br> a matching of maximum size <br> (maximum number of edges) |  |
| 80. | Stable marriage problem |  | Identifying stable matching between two sets of elements |  |


| 81. | Simplex method | It is an approach to solving linear programming models |
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| 82. | Decision tree | It is a tree-like graph or model of decisions |
| 83. | Decision tree uses | For searching and sorting |
| 84. | Optimization problem | To maximize or minimize some values.Ex: Finding the shortest path between two vertices in a graph. |
| 85. | Polynomial time algorithm. | For input size $\boldsymbol{n}$, if worst-case time complexity of an algorithm is $O\left(n^{k}\right)$, where $\boldsymbol{k}$ is a constant |
| 86. | NP Hard problems | - The circuit-satisfiability problem <br> - Set Cover <br> - Vertex Cover <br> - Travelling Salesman Problem |
| 87. | NP complete problem | No polynomial time algorithm |
| 88. | P-class | Problems are solvable in polynomial time |
| 89. | NP-class | Problems are verifiable in polynomial time. |
| 90. | Lower Bound Theory Base Bound Theory | Calculation of minimum time that is required to execute an algorithm |
| 91. | Techniques in lower bound theory | - Comparisons Trees. <br> - Oracle and adversary argument <br> - State Space Method |
| 92. | Graph coloring problem | Neighbour node don't have same color |
| 93. | Backtracking problem | To solve combinational problem, optimization problem, decision problem |
| 94. | Maximum Flow problem | Maximum amount of flow that the network would allow to flow from source to sink. |
| 95. | Basic solution for simplex method | At most $m$ non zero values for the variables |
| 96. | A matching in a Bipartite Graph | no two edges share an endpoint. |
| 97. | Limitation of algorithm | Time consuming, big tasks are difficult to put in algorithm |
| 98. | Iterative improvement follows which technique | Greedy technique |


| 99. | Iterative improvement mainly used for |  | Smaller problems |  |
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| 100. | Base Bound Theory |  | Calculation of minimum time for execute a algorithm |  |
| Unit-V : Backtracking, Branch and Bound and Approximation Algorithm |  |  |  |  |
| 101. | Backtracking |  | Depth-first node generation with bounding method. |  |
| 102. | Which method used to find Hamiltonian circuit |  | Backtracking |  |
| 103. | N - Queens problem |  | The problem is to area n-queens on an n-by-n chessboard so that no two queens charge each other by being same row or in the same column or the same diagonal. |  |
| 104. | Subset Sum Problem |  | sum of the elements of subset's' is equal to some positive integer 'X.' |  |
| 105. | Assignment problem |  | Assign a number of jobs to an equal number of machines so as to minimize the total assignment cost for execution of all the jobs |  |
| 106. | Travelling Sales man Problem | TSP | The problem is to find the shortest possible route. |  |
| 107. | Branch and bound |  | which is generally used for solving combinatorial optimization problems. |  |
| 108. | Application of assignment problem |  | It involves assignment of people to projects, jobs to machines, workers to jobs and teachers to classes etc |  |
| 109. | The worst-case efficiency of solving a problem in polynomial time is |  | $\mathrm{O}(\mathrm{p}(\mathrm{n})$ ) |  |
| 110. | Tractable |  | Problems that can be solved in polynomial time are known as? |  |
| 111. | NP |  | the class of decision problems that can be solved by non-deterministic polynomial algorithms |  |
| 112. | Un decidable problems |  | Problems that cannot be solved by any algorithm |  |
| 113. | Example of un |  | Halting problem |  |



| 128. | Look at this series: 22, $21,23,22,24,23, \ldots .$ | In this simple alternating subtraction and addition series; 1 is subtracted, then 2 is added, and so on. |  |
| :---: | :---: | :---: | :---: |
| 129. | Look at this series: 53, $53,40,40,27,27, \ldots$ | In this series, each number is repeated, then 13 is subtracted to arrive at the next number. |  |
| 130. | Look at this series: 1.5, 2.3, 3.1, 3.9, ... | In this simple addition series, each number increases by 0.8 . |  |
| 131. | Three times the first of three consecutive odd integers is 3 more than twice the third. The third integer is: | Let the three integers be $x, x+2$ and $x+$ 4. <br> Then, $3 x=2(x+4)+3 \Leftrightarrow x=11$. <br> $\therefore$ Third integer $=x+4=15$. |  |
| 132. | Look at this series: 7, $10,8,11,9,12, \ldots$ | This is a simple alternating addition and subtraction series. In the first pattern, 3 is added; in the second, 2 is subtracted. |  |
| 133. | Look at this series: 22 , $21,23,22,24,23, \ldots .$ | In this simple alternating subtraction and addition series; 1 is subtracted, then 2 is added, and so on. |  |
| 134. | $\left(112 \times 5^{4}\right)=$ ? | $\begin{aligned} & \left(112 \times 5^{4}\right)=112 \times(10) 4=112 \times \\ & 10^{4}=1120000=7000022^{4} 16 \end{aligned}$ |  |
| 135. | It was Sunday on Jan 1, 2006. The day of the week Jan 1, 2010 is | On $31^{\text {st }}$ December, 2005 it was Saturday. <br> Number of odd days from the year 2006 to the year $2009=(1+1+2+1)=5$ days. <br> $\therefore$ On $31^{\text {st }}$ December 2009, it was Thursday. <br> Thus, on $1^{\text {st }}$ Jan, 2010 it is Friday. |  |
| 136. | Today is Monday. After 61 days, it will be: | Each day of the week is repeated after 7 days. <br> So, after 63 days, it will be Monday. <br> $\therefore$ After 61 days, it will be Saturday. |  |
| 137. | If $6^{\text {th }}$ March, 2005 is Monday,The day of the week on $6^{\text {th }}$ March, 2004 is | The year 2004 is a leap year. So, it has 2 odd days. <br> But, Feb 2004 not included because we are calculating from March 2004 to March 2005. So it has 1 odd day only. <br> $\therefore$ The day on $6^{\text {th }}$ March, 2005 will be 1 day beyond the day on $6^{\text {th }}$ March, 2004. |  |


|  |  | Given that, $6^{\text {th }}$ March, 2005 is Monday. <br> $\therefore 6^{\text {th }}$ March, 2004 is Sunday (1 day before to $6^{\text {th }}$ March, 2005). |  |
| :---: | :---: | :---: | :---: |
| 138. | The days in $x$ weeks $x$ days? | $x$ weeks $x$ days $=(7 x+x)$ days $=$ $8 x$ days. |  |
| 139. | On $8^{\text {th }} \mathrm{Feb}, 2005$ it was Tuesday. The day of the week on $8^{\text {th }}$ Feb, 2004 is | The year 2004 is a leap year. It has 2 odd days. <br> $\therefore$ The day on $8^{\text {th }} \mathrm{Feb}$, 2004 is 2 days before the day on $8^{\text {th }}$ Feb, 2005. <br> Hence, this day is Sunday. |  |
| 140. | The greatest number that will divide 43, 91 and 183 so as to leave the same remainder in each case. | $\begin{aligned} & \text { Required number }=\text { H.C.F. of }(91-43) \text {, } \\ & (183-91) \text { and }(183-43) \\ & \quad=\text { H.C.F. of } 48,92 \text { and } 140=4 . \end{aligned}$ |  |
| 141. | The H.C.F. of two numbers is 23 and the other two factors of their L.C.M. are 13 and 14. The larger of the two numbers is: | Clearly, the numbers are ( $23 \times 13$ ) and ( $23 \times 14$ ). <br> $\therefore$ Larger number $=(23 \times 14)=322$ |  |
| 142. | $\left(112 \times 5^{4}\right)=$ ? | $\begin{aligned} & \left(112 \times 5^{4}\right)=112 \times(10) 4=112 \times \\ & 10^{4}=1120000=7000022^{4} 16 \\ & \hline \end{aligned}$ |  |
| 143. | It was Sunday on Jan 1, 2006. The day of the week Jan 1, 2010 is | On 31 ${ }^{\text {st }}$ December, 2005 it was Saturday. <br> Number of odd days from the year 2006 to the year $2009=(1+1+2+1)=5$ days. <br> $\therefore$ On $31^{\text {st }}$ December 2009, it was Thursday. <br> Thus, on $1^{\text {st }}$ Jan, 2010 it is Friday. |  |
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|  |  | day beyond the day on $6^{\text {th }}$ March, 2004. |
| :--- | :--- | :--- | :--- |
| Given that, $6^{\text {th }}$ March, 2005 is Monday. |  |  |,

## 1. Mr.T.Manivel

